

# Econ 476: Industrial Organization

## *Entry Deterrence and Predatory Pricing*

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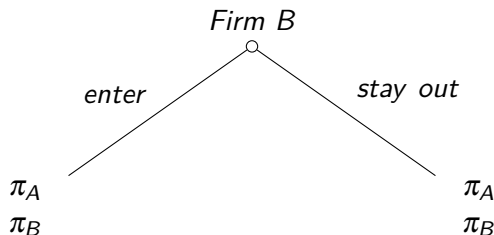
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Lecture 12

- ▶ If incumbent firms are earning economic profits, why are there no market entrants?
- ▶ Barriers to entry vs. entry deterrence?
  - ▶ barriers to entry: conditions not controlled by incumbent firms
  - ▶ entry deterrence: strategic actions by incumbent firms

## Entry barriers

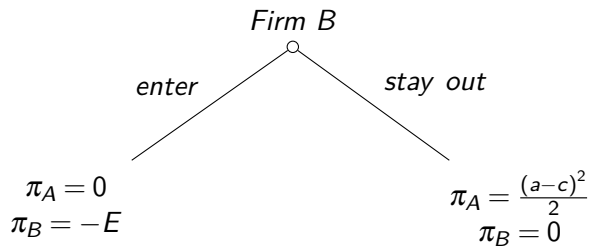
Let Firm  $A$  be the incumbent and Firm  $B$  be the potential entrant into the market. Inverse demand is  $P = a - Q$  and unit cost is  $c_A$  and  $c_B$ . Assume the fixed cost of entry is  $E > 0$ . Also assume that the product is homogeneous. The game can be characterized as follows:



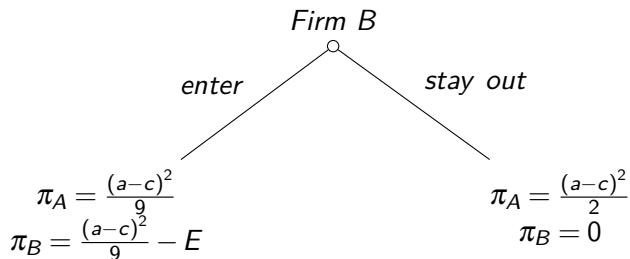
## Entry barriers - questions

- ▶ What are the payoffs for Firms  $A$  and  $B$  assuming Bertrand competition (and unit costs are equal)?
- ▶ .... Cournot market structure?
- ▶ .... Stackelberg market structure?

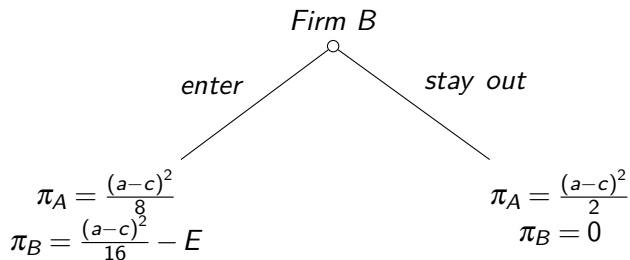
# Entry barriers - Bertrand



# Entry barriers - Cournot



# Entry barriers - Stackelberg



# Entry deterrence

- ▶ What are some ways that an incumbent firm(s) can signal to the potential entrant that entering the market is not profitable? What else can the incumbent(s) do to deter entry?



# Predatory pricing

Definition: temporarily setting prices low enough such that competitors are driven out of the market or choose not to enter the market.

- ▶ illegal
- ▶ does not have to set prices below average cost to be considered predatory

# Predatory pricing - courts

- ▶ Burden of proof falls on the defendant
  - ▶ must show that price is above average cost
  - ▶ or that low prices are temporary and tied to some promotion
- ▶ Theoretically, once all competitors leave the market, the remaining firm would be a monopoly.
  - ▶ However, may not be in the best interest of the firm to raise prices to the monopoly level to avoid prosecution.

# Entry deterrence - capital

- ▶ Why choose capital (investment) instead of quantity?
  - ▶ credible vs incredible threats
  - ▶  $Q = f(k)$  and *capacity* =  $f(k)$

## Entry deterrence - model

Consider a 2-stage game. The incumbent moves first and chooses capacity (capital expenditures),  $k_1$ . In the second stage, the potential entrant sees the capital investment of the incumbent and chooses whether to enter the market and how much to invest in capacity,  $k_2$ . The cost to enter the market is  $E > 0$ . Assume that the entrant will not enter if  $\pi_2 = 0$ . The profit function for the incumbent and potential entrant are

$$\pi_1 = \begin{cases} (1 - k_1 - k_2) k_2 & \text{if entry occurs} \\ (1 - k_1) k_1 & \text{otherwise} \end{cases}$$
$$\pi_2 = \begin{cases} (1 - k_1 - k_2) k_2 - E & \text{if entry occurs} \\ 0 & \text{otherwise} \end{cases}$$

Solve the second stage.

# Entry deterrence - results

Results:  
(stage 2)

- ▶  $\pi_2 = \begin{cases} (1 - k_1 - k_2) k_2 - E & \text{if entry occurs} \\ 0 & \text{otherwise} \end{cases}$
- ▶  $R^2 = \begin{cases} \frac{1-k_1}{2} & \text{if } k_1 < 1 - 2\sqrt{E} \\ 0 & \text{otherwise} \end{cases}$ 
  - ▶ The potential entrant will only enter if  $k_1 < 1 - 2\sqrt{E}$ .
  - ▶  $\pi_2 = \left[ 1 - k_1 - \left( \frac{1-k_1}{2} \right) \right] \left( \frac{1-k_1}{2} \right) - E = 0$

# Entry deterrence - entry cost

For what values of  $E$  (entry cost) will the incumbent:

1. collect the monopoly profits?
2. be indifferent between accommodating entry and deterring entry?
3. deter entry?
4. accommodate entry?

# Entry deterrence - results

Results:

1.  $E \geq 0.0625$

▶  $k_1^* = \frac{1}{2} > 1 - 2\sqrt{E}$

2.  $E \approx 0.00536$

▶  $k_1^{deter} = 1 - 2\sqrt{E}$ ;  $k_1^{acc} = \frac{1}{2}$

▶  $\pi_1^{deter} = 2\sqrt{E} (1 - 2\sqrt{E})$ ;  $\pi_1^{acc} = \frac{1}{8}$

3.  $0.00536 < E < 0.0625$

4.  $E \lesssim 0.00536$

What does “judo economics” even mean??

- ▶ Gelman and Salop (1983)
  - ▶ “*Judo Economics: Capacity Limitation and Coupon Competition*”
- ▶ “One of the major aspects of judo is to use the size of the opponent against him or herself.” –investopedia.com



## Judo - model

Consider a 2-stage game. In the first stage the potential entrant decides (a) whether to enter, (b) its capacity,  $k$ , and (c) its price,  $p^e$ . In the second stage, the incumbent chooses its price,  $p^I$ .

- ▶ Assume that production is costless.
- ▶ Inverse demand:  $P = 100 - Q$
- ▶ homogeneous good
- ▶ Similar to sequential Bertrand, except that consumers prefer incumbent's product at equal prices:

$$q^I = \begin{cases} 100 - p^I & \text{if } p^I \leq p^e \\ 100 - k - p^I & \text{if } p^I > p^e \end{cases}$$
$$q^e = \begin{cases} k & \text{if } p^e < p^I \\ 0 & \text{if } p^e \geq p^I \end{cases}$$

# Judo - model

- ▶ The incumbent has 2 general choices
  - ▶ accommodate entry ( $p^I > p^e$ )
  - ▶ deter entry ( $p^I = p^e$ )

Set up the profit functions for each firm if the incumbent accommodates/deters entry.

## Judo - results

$$\begin{aligned} \text{▶ } \pi^l &= \begin{cases} (100 - k - p^l) p^l & \text{if } p^l > p^e \\ (100 - p^e) p^e & \text{if } p^l = p^e \end{cases} \\ \text{▶ } \pi^e &= \begin{cases} k p^e & \text{if } p^e < p^l \\ 0 & \text{if } p^l = p^e \end{cases} \end{aligned}$$

Under what conditions will the incumbent accommodate entry? Graph the solution.

# Judo - results

- ▶  $\pi_{acc}^I \geq \pi_{deter}^I \rightarrow \frac{(100-k)^2}{4} \geq (100 - p^e) p^e$
- ▶ [graph]